

## Computer Modeling of the Schottky Electron Source

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The Schottky Electron source (SE) has become the most used source in electron optical systems where high brightness and/or small energy spread are required. A computer modeling program has been developed that allows the computation of important source parameters for the SE source such as the virtual source size ( $d_v$ ) and total energy distribution (TED). A commercial charge density boundary element method program (CPO3D by Electron Optics Ltd.) was used to evaluate the source geometry. This program calculated the surface charge density and the electric field  $F(z)$  normal to the surface calculated which allowed trajectories of emitted electrons to be calculated along with the TED and  $d_v$ . These calculations were performed both with and without coulomb interactions included. The ratio of  $I'/J=K$  was also computed, where  $I'$  is the axial current per unit solid angle and  $J$  is the axial current density. This program allowed for distinction among the three major equilibrium faceted shapes, which have been reported previously<sup>1</sup>. In some instances the Stage 0 end form was separated into a Stage 0-a or 0-b depending on whether the four side (110) planes intersect the rounded, central (100) plane<sup>2</sup>. The axial value of field factor  $\beta=F/V$  (where  $F$  and  $V$  are the applied field and extraction voltage respectively) was found to follow a power law dependence on  $K$  as the emitter inscribed radius varied from 200 to 700 nm. The latter relationship holds regardless of the end form as observed in Fig. 1 and allows for the accurate conversion of experimental  $I'$  values to  $J$ .

The computed values of the axial  $d_v$  (with coulomb interactions) normalized by the intrinsic  $d_v(\text{int.})$  (without coulomb interactions) are shown in Fig. 2 for the same emitter data set given in Fig. 1 and for  $I'$  values from 0.25 to 1.0 mA/sr. A linear relationship with  $J$  is observed for  $d_v/d(\text{int.})$  independent of the stage end form. Similarly the values of the full width of the TED curves containing 50% of the current (FW50) normalized by the FW50(int) values versus  $I'$  are shown in Fig. 3. In this case experimental values are shown which are supported by the computed values. The data can be fit to a 2<sup>nd</sup> order polynomial with reasonable accuracy – again the relationship is not altered by the various end form stages and radii which vary from 300 to 800 nm. It is interesting to note from Figs. 2 and 3 that at  $I' \approx 0.5$  mA/sr the coulomb interactions have increased  $d_v$  over its intrinsic value by 15% whereas the FW50 value has increased by 50%

Another computer program using the experimental  $I'(V)$  data along with the Fig. 1  $\beta(K)$  relationship calculates the emitter work function ( $\phi$ ) and  $\beta$  values. With values of  $K$ ,  $\phi$  and  $F$  one can determine FW50(int) and  $d_v(\text{int.})$  which along with the empirical relationships in Figs. 2 and 3 allows  $d_v$  and FW50 values to be calculated for a given  $I'$  value. In addition, the reduced brightness ( $B_r$ )<sup>3</sup> can be determined from  $B_r = 4I'/\pi d_v^2 = 1.44J/\pi kT$ . However it should be pointed out that, in contrast to the FW50 values,  $d_v$  has a  $z$  dependence so for electron optical applications it matters where the beam defining aperture is located. In this study the measuring plane for  $d_v$  was located 3 mm downstream from the emitter.

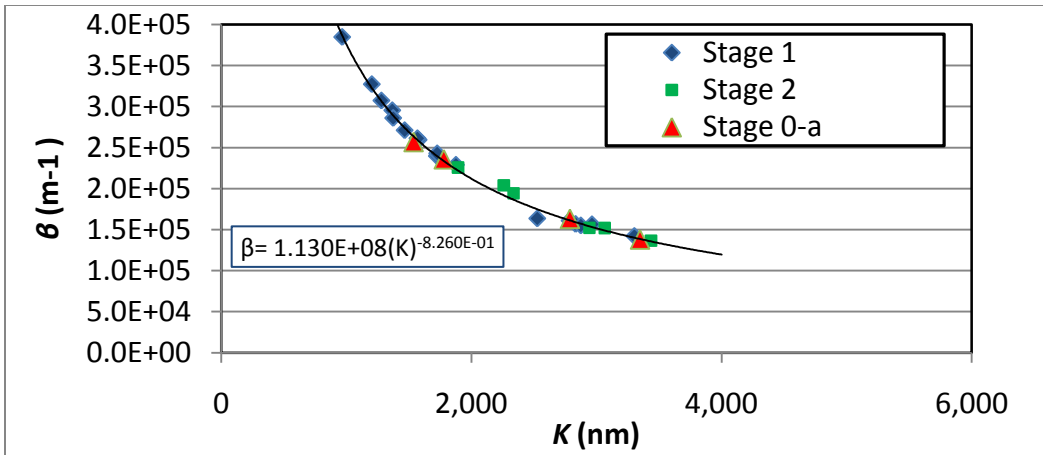


Fig. 1 The calculated axial values of  $\beta$  vs.  $K$  can be fitted with a power law relationship.

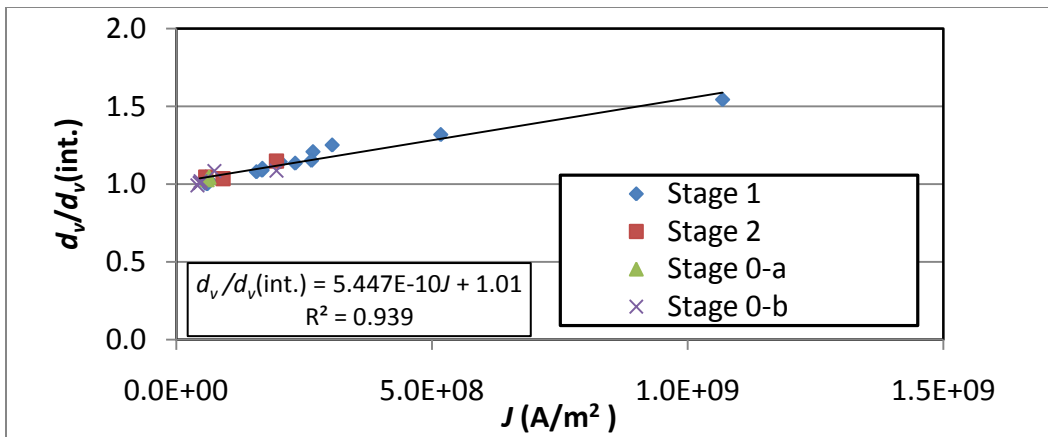


Fig. 2 The computer calculated  $d_v$  (with coulomb interactions) normalized by the intrinsic  $d_v(int.)$  (no coulomb interactions) shows a linear relationship with  $J$ .

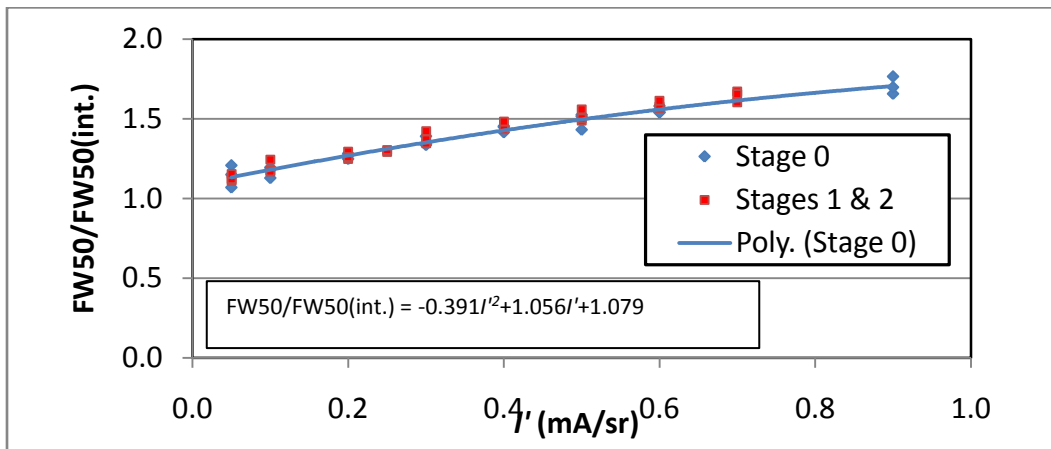


Fig. 3 The experimental  $FW50$  (with coulomb interactions) normalized by the intrinsic  $FW50(int.)$  (no coulomb interactions) can be fit with a second order polynomial dependence on  $J$ .

<sup>1</sup> K. Liu, G.A. Schwind, L.W. Swanson, and J.A. Campbell, J. Vac. Sci. Technol. **B28**, C628 (2010).

<sup>2</sup> A. Bahm, G.A. Schwind, and L.W. Swanson, J. Appl. Phys. **110**, 054322 (2011).

<sup>3</sup> M.S. Brongseest, J.E. Barth, L.W. Swanson, and P. Kruij, J. Vacuum Sci. Technol. **B26**, 949 (2008).